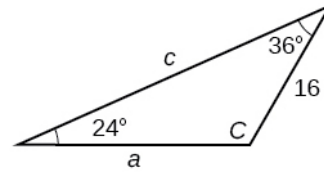


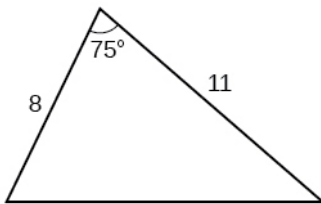
Non-right Triangles: Law of Sines

For the following exercises, assume α is opposite side a , β is opposite side b , and γ is opposite side c . Solve each triangle, if possible. Round each answer to the nearest tenth.

1. $\beta = 50^\circ, a = 105, b = 45$ 2. $\alpha = 43.1^\circ, a = 184.2, b = 242.8$ 3. Solve the triangle.



4. Find the area of the triangle.



5. A pilot is flying over a straight highway. He determines the angles of depression to two mileposts, 2.1 km apart, to be 25° and 49° , as shown in Figure 1. Find the distance of the plane from point A and the elevation of the plane.

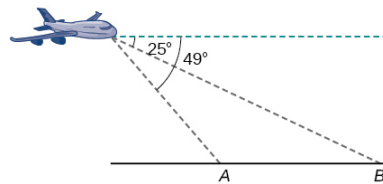


Figure 1

Non-right Triangles: Law of Cosines

6. Solve the triangle, rounding to the nearest tenth, assuming α is opposite side a , β is opposite side b , and γ is opposite side c : $a = 4$, $b = 6$, $c = 8$.

7. Solve the triangle in [Figure 2](#), rounding to the nearest tenth.

8. Find the area of a triangle with sides of length 8.3, 6.6, and 9.1.

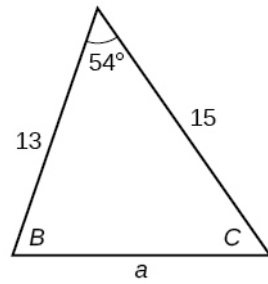


Figure 2

9. To find the distance between two cities, a satellite calculates the distances and angle shown in [Figure 3](#) (not to scale). Find the distance between the cities. Round answers to the nearest tenth.

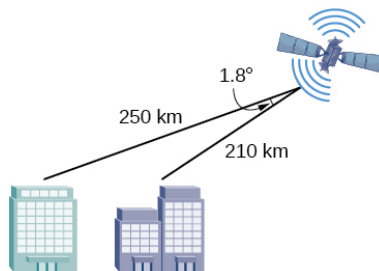


Figure 3

Polar Coordinates

10. Plot the point with polar coordinates $(3, \frac{\pi}{6})$.
11. Plot the point with polar coordinates $(5, -\frac{2\pi}{3})$.
12. Convert $(6, -\frac{3\pi}{4})$ to rectangular coordinates.
13. Convert $(-2, \frac{3\pi}{2})$ to rectangular coordinates.
14. Convert $(7, -2)$ to polar coordinates.
15. Convert $(-9, -4)$ to polar coordinates.

For the following exercises, convert the given Cartesian equation to a polar equation.

16. $x = -2$

17. $x^2 + y^2 = 64$

18. $x^2 + y^2 = -2y$

For the following exercises, convert the given polar equation to a Cartesian equation.

19. $r = 7\cos \theta$

20. $r = \frac{-2}{4\cos \theta + \sin \theta}$

For the following exercises, convert to rectangular form and graph.

21. $\theta = \frac{3\pi}{4}$

22. $r = 5 \sec \theta$